

Optimization of finite difference coefficients for quantum molecular dynamics

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Background

Quantum Molecular
Dynamics(QMD) provide an accurate information of what happens to individual atoms and molecules during an experiment. The key equation of QMD is Schrödinger equation.

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5 Conclusion

n time
n(4 th)
(3 rd)
(2 nd)
1(1 st)

Solving the Analytical Gegenbauer spectral differences in Maple to get better accuracy

2 Main Goal

Finding the best approximation of the Hamiltonian operator which is more accurate and sparse

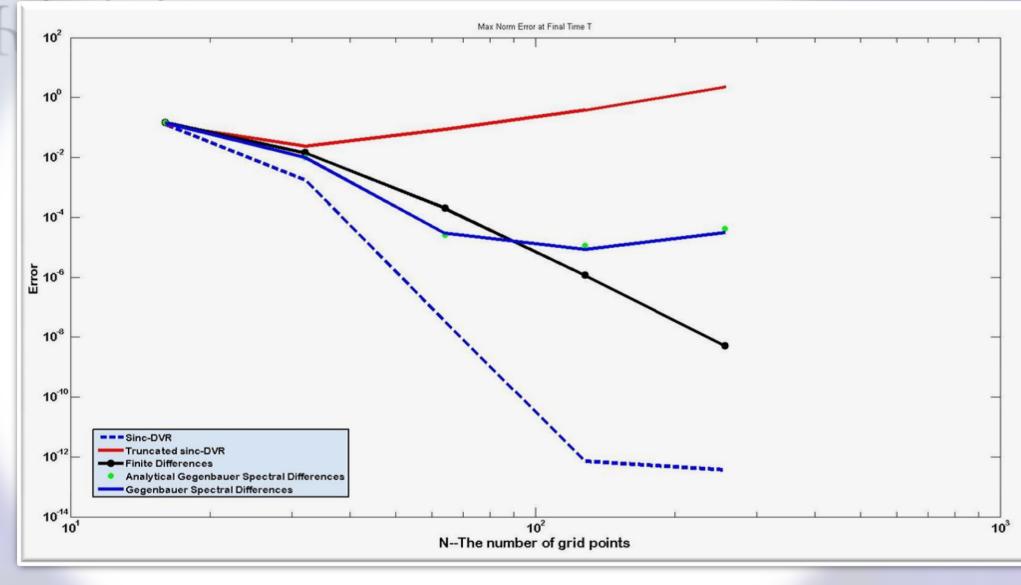
$i\hbar \frac{\partial \Psi(r,t)}{\partial t} =$	$\left(\frac{-\hbar^2}{2m}\nabla^2 + V(r, \frac{1}{2m})\right)^2$	$t)$ $\Psi(r,t)$
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$$\frac{Y(r,t)}{\partial t} = \left(\frac{-h^{-}}{2m}\nabla^{2} + V(r,t)\right)$$

3 Methods

1.Sinc-Discrete Variable
Representation
2.Truncated Sinc-Discrete
Variable Representation
3.Finite Differences
4.Spectral Differences

4 Results



Convergence plot

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